

Project Title

Joint master degree in Mathematics and Applications



Background

One of the central objectives of the 4EU+ European University Alliance is the **collaboration in higher education**. The joint master degree is the activity that targets this objective.

Current status in joint supervision: Prague, 18.11.2021

Possible supervisors from CU: computational mathematics

- Summary: mathematical modelling + computational mathematics at CU

Jointly supervised MSc theses -- list of researchers willing to co-supervise

Name	University	Email	Webpage	Area of interest
Vít Průša	Charles University	prusv@karlin.mff.cuni.cz	https://www2.karlin.mff.cuni.cz/~prusv/	continuum thermodynamics, viscoelastic fluids, stability analysis
Christoph Allolio	Charles University	alio1io@karlin.mff.cuni.cz	https://www2.karlin.mff.cuni.cz/~alio1io/	biomembranes, molecular dynamics, biophysics, electronic structure, morphol
Michal Pavelka	Charles University	pavelka@karlin.mff.cuni.cz	www.karlin.mff.cuni.cz/~pavelka	Hamiltonian mechanics, continuum thermodynamics, GENERIC, hyperbolic ec
Karel Tůma	Charles University	ktuma@karlin.mff.cuni.cz	www.karlin.mff.cuni.cz/~tumak3am	continuum thermodynamics, viscoelastic fluids, complex solids, fluid structure
Josef Málek	Charles University	malek@karlin.mff.cuni.cz	https://www2.karlin.mff.cuni.cz/~malek/	analysis of PDEs of non-Newtonian fluid mechanics, constitutive theory, flows
Miroslav Bulíček	Charles University	mbul8060@karlin.mff.cuni.cz	https://www2.karlin.mff.cuni.cz/~mbul8060/	analysis of PDEs of continuum thermodynamics, stability analysis, regularity th
Jaroslav Hron	Charles University	jaroslav.hron@mff.cuni.cz	www.karlin.mff.cuni.cz/~hron	fluid structure interaction, biofluid dynamics, FEM, HPC
Ondřej Souček	Charles University	ondrej.soucek@mff.cuni.cz	http://qgo.mff.cuni.cz/~soucek/	continuum thermodynamics, mixture theory, computational geophysics
Milan Pokorný	Charles University	pokorny@karlin.mff.cuni.cz	https://www2.karlin.mff.cuni.cz/~pokorny/	mathematical analysis of partial differential equations, fluid mechanics, multisc
Iveta Hnětynková	Charles University	hnetynko@karlin.mff.cuni.cz	http://www.ms.mff.cuni.cz/~hnetynka/	linear approximation problems, total least squares, inverse problems
Petr Knobloch	Charles University	knobloch@karlin.mff.cuni.cz	http://www.karlin.mff.cuni.cz/~knobloch/	finite element method, convection-diffusion problems, stabilization, flow proble
Erin Carson	Charles University	carson@karlin.mff.cuni.cz	https://www.karlin.mff.cuni.cz/~carson/	high-performance computing, mixed precision computations, numerical linear
Petr Tichý	Charles University	ptichy@karlin.mff.cuni.cz	http://www.karlin.mff.cuni.cz/~ptichy	analysis of iterative methods, finite precision computations, approximation of fi
Vít Dolejší	Charles University	dolejsi@karlin.mff.cuni.cz	http://www.karlin.mff.cuni.cz/~dolejsi	numerical methods for partial differential equations with applications in fluid dy
Zdeněk Strakoš	Charles University	strakos@karlin.mff.cuni.cz	http://www.karlin.mff.cuni.cz/~strakos	Krylov space methods, operator preconditioning
Miroslav Rozložil	Institute of Mathematics, C	mro@math.cas.cz	https://www.math.cas.cz/~rozloznik	orthogonalization techniques, iterative methods, saddle-point problems
Miroslav Tůma	Charles University	mirektuma@karlin.mff.cuni.cz	http://www.karlin.mff.cuni.cz/~mirektuma	sparse matrices, algebraic preconditioning, direct and iterative methods for sp

Prague Warsaw Paris Explore

Computational mathematics

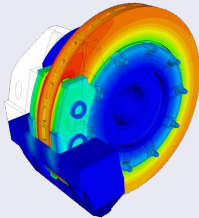
1. Linear approximation problems, least squares, iterative and direct methods



- example of deblurring
- mathematically: solving inverse problems, stopping iterative methods to get rid of noise, least squares, total least squares, image processing
- also: sparse matrices, solving large-scale linear systems, preconditioning

Computational mathematics

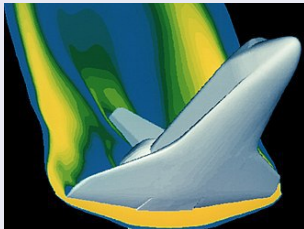
2. High performance computing



- Can we compute accurately at peta- and exa-scale computers of today?
- mathematically: numerical linear algebra, relaxing accuracy, getting theoretical guarantees.

Computational mathematics

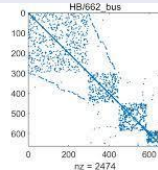
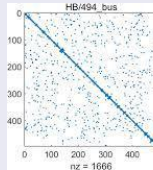
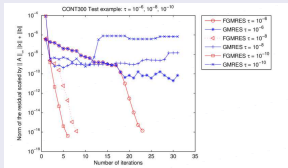
3. Numerical methods for PDEs, adaptivity, errors, flow problems, convection-diffusion problems



- Solving complex instances of these problems. Can we guarantee stability and/or efficiency?
- mathematically: numerical analysis, finite element method.

Computational mathematics

4. Krylov space methods, preconditioning, orthogonalization



- Can we solve still larger linear systems from discretized PDEs, or even more general systems?
- Discrete and continuous equations (operator preconditioning)? Practical tools? Coupling different physical quantities: saddle-point problems?
- mathematically: theoretical and computational research combining numerical analysis and numerical linear algebra.

- Possibilities not sorted by supervisors since we represent a relatively compact group and some scientific challenges can be shared.
- Persons/individual competencies are roughly described at our web pages.
- **Please, write/ask/contact us**

THANK YOU