

2. owożuw

Elementarny lincze - kopaczol [K6], pr. 127-176,

potor: jine omacow
 $\log \leftrightarrow \text{Ln}$
 $\text{Log} \leftrightarrow \text{lu}$ atd.

Logawdumy: $\log z := \log|z| + i \cdot \arg z$, $z \neq 0$ (vit. produkcie)
 $\text{Log} z := \{ \log z + 2k\pi i \mid k \in \mathbb{Z} \}$

Mocuwie, hyperboliches a gomomediches lincze

(Pr.) $\log i, \text{Log} i$

(Pr.) Pomoc CR-roj spoda: $\log\left(\frac{1}{z}\right) = \frac{1}{z}$

(Pr.) $\log(z_1 z_2) \stackrel{?}{=} \log z_1 + \log z_2$

(Pr.) $\frac{1}{z} = e^{-\log z}$, $z \neq 0$, ale $\log(e^z) \neq z$

(Pr.) $\sin(\mathbb{C}) = \mathbb{C} = \cos(\mathbb{C})$

(Pr.) Kerho v \mathbb{C} : $\sin z + \cos z = 2$ [163]

(Pr.) Dokerho v \mathbb{C} , \neq $\sin^2 z + \cos^2 z = 1$ atd. [133-142]

(Pr.) $\int e^{3x} \cos x dx$, $\int \frac{dx}{x-z}$ (kde $x \in \mathbb{R}$ a $z \in \mathbb{C}$)

(Pr.) $\forall \mathbb{C}$ me $az^2 + bz + c = 0$, $a \neq 0$, korony
 $z_{\pm} := \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$, Zde $\sqrt{w} := e^{\frac{1}{2} \log w}$, $w \neq 0$;
 $= 0$; $w = 0$.

P. r. $\forall \mathbb{C}$ uo rovnice $az^2 + bz + c = 0, a \neq 0,$

kořeny $z_{\pm} := \frac{-b \pm \sqrt{b^2 - 4ac}}{2a},$

plukréce) $0 = z^2 + \frac{b}{a}z + \frac{c}{a} = \left(z + \frac{b}{2a}\right)^2 - \frac{b^2}{4a^2} + \frac{c}{a}$
 $= (z - z_+)(z - z_-),$

protože $\frac{b^2 - 4ac}{4a^2} = \left(\frac{\sqrt{b^2 - 4ac}}{2a}\right)^2.$